## Amendments to the Claims:

This listing of claims will replace all prior versions, and listings, of claims in the application:

## Listing of Claims:

- 1. (cancelled)
- 2. (previously presented) A method for balancing the work load of an n-dimensional array of processing elements (PEs), wherein each dimension of said array includes said processing elements arranged in a plurality of lines and wherein each of said processing elements has a local number of tasks associated therewith, the method comprising:

balancing a work load across at least one line of processing elements in a first dimension by redistributing tasks amongst the processing elements in said line;

balancing a work load across at least one line of processing elements in a next dimension by redistributing tasks amongst the processing elements in said line; and

repeating said balancing at least one line of processing elements in a next dimension by redistributing tasks amongst the processing elements in said line for each dimension of said n-dimensional array until the work load is balanced across all said processing elements; and wherein said balancing a work load comprises:

calculating a total number of tasks for said line, wherein said total number of tasks for said line equals the sum of said local number of tasks for each of said processing elements on said line;

notifying each of said processing elements on said line of said total number of tasks for said line;

calculating a local mean number of tasks for each of said processing elements on said line;

calculating a local deviation from said local mean number for each of said processing elements on said line;

determining a first local cumulative deviation for each of said processing elements on said line;

determining a second local cumulative deviation for each of said processing elements on said line; and

redistributing tasks among said processing elements on said line in response to at least one of said first local cumulative deviation and said second local cumulative deviation.

- 3. (previously presented) The method of claim 2 wherein two or more lines in at least one of said first dimension and said next dimension are balanced in parallel.
- 4. (previously presented) The method of claim 2 wherein said calculating a total number of tasks for said line comprises sequentially summing said local number of tasks for each of said processing elements on said line from a first end of said line to a second end of said line.
- 5. (previously presented) The method of claim 2 wherein said calculating said total number of tasks for said line includes solving the equation  $V = \sum_{i=0}^{i=N-1} v_i$ , where V represents said total number of tasks for said line, N represents the number of processing elements on said line, and  $v_i$  represents said local number of tasks for a local PE<sub>r</sub> on said line.
- 6. (previously presented) The method of claim 2 wherein said notifying step includes passing said total number of tasks from a second end of said line to a first end of said line.
- 7. (previously presented) The method of claim 2 wherein said calculating a local mean number of tasks includes solving the equation  $M_r = Trunc((V + E_r)/N)$ , where  $M_r$  represents said local mean for a local processing element PE<sub>r</sub> on said line, N represents the total number of PEs on said line, V is the total number of tasks, and  $E_r$  is a number in the range of 0 to (N-1).
- 8. (previously presented) The method of claim 7 wherein each processing element has a different  $E_r$  value.

- 9. (previously presented) The method of claim 7 wherein said Trunc function is responsive to  $E_r$  such that said total number of tasks for said line is equal to the sum of the local mean number of tasks for each processing element on said line.
- 10. (previously presented) The method of claim 7 wherein said local mean  $M_r = Trunc((V + E_r)/N)$  for each local PE<sub>r</sub> on said line is equal to either X or (X+1), where X is equal to a local mean.
- 11. (previously presented) The method of claim 2 wherein said calculating a local deviation for each processing element on said line includes finding a difference between said local number of tasks for each PE<sub>r</sub> and said local mean number of tasks for each PE<sub>r</sub>.
- 12. (previously presented) The method of claim 2 wherein said determining a first local cumulative deviation includes sequentially summing said local deviations for each  $PE_r$  from a first end of said line to an adjacent upstream  $PE_{r-1}$  on said line.
- 13. (previously presented) The method of claim 2 wherein said determining a second local cumulative deviation includes finding a difference between the negative of said local deviation for each  $PE_r$  and said first local cumulative deviation for each  $PE_r$ .
- 14. (currently amended) The method of claim 2 wherein said redistributing tasks among said processing elements on said line comprises:

transferring a task from a local PE<sub>r</sub> to a left-adjacent PE<sub>r-1</sub> if said first local cumulative deviation for said local PE<sub>r</sub> is a negative value; and

transferring a task from said local PE<sub>r</sub> to a right-adjacent PE<sub>r+1</sub> if said second local cumulative deviation for said local PE<sub>r</sub> is a negative value.

15. (currently amended) The method of claim 2 wherein said redistributing tasks among said processing elements on said line comprises:

transferring a task from a local PE<sub>r</sub> to a left-adjacent PE<sub>r-1</sub> if said second local cumulative deviation for said local PE<sub>r</sub> is a positive value; and

transferring a task from said local PE<sub>r</sub> to a right-adjacent PE<sub>r+1</sub> if said first local cumulative deviation for said local PE<sub>r</sub> is a positive value.

- 16. (previously presented) The method of claim 2 wherein said calculating a local mean number of tasks; said calculating a local deviation; said determining a first local cumulative deviation; said determining a second local cumulative deviation; and said redistributing tasks are completed in parallel for each processing element on said line.
- 17. (previously presented) The method of claim 16 wherein said calculating a local mean number of tasks; said calculating a local deviation; said determining a first local cumulative deviation; said determining a second local cumulative deviation; and said redistributing tasks are completed in parallel for each line in a selected dimension.
- 18. (cancelled)
- 19. (previously presented) The method of claim 2 wherein said calculating a local deviation, said determining a first local cumulative deviation, said determining a second local cumulative deviation, and said redistributing tasks among said processing elements are repeated until said local deviation, said first local cumulative deviation, and said second local cumulative deviation for each of said processing elements is zero.
- 20. (currently amended) A method for balancing a work load across one dimension of an n-dimensional array of processing elements (PEs), wherein each of said n-dimensions is traversed by a plurality of lines and wherein each of said lines has a plurality of processing elements with a local number of tasks associated therewith, the method comprising:

balancing said plurality of lines in one dimension by redistributing tasks amongst the processing elements in each of said plurality of said lines;

balancing said plurality of lines in a next higher dimension;

repeating said balancing said plurality of lines in a next higher dimension for each remaining dimension of said n-dimensional array, wherein each of said balanced lines

includes PEs with either a number of local tasks equal to X or a number of local tasks equal to (X+1), where X equals a local mean;

substituting the value zero (0) for each processing element having X local number of tasks;

substituting the value one (1) for each processing element having (X+1) local number of tasks; and

shifting said values for each processing element within said balanced lines until a sum of said processing elements relative to a second dimension has only two different values, wherein shifting said values <u>represents</u> represent moving a task.

## 21. (cancelled)

22. (currently amended) The method of claim 20 wherein said balancing said plurality of lines in one dimension comprises:

calculating a total number of tasks present within at least one of said lines; notifying each processing element on said line of said total number of tasks for said line;

determining each processing element's share of said total number of tasks on said line;

calculating a local deviation from said previous steps;

determining a first local cumulative deviation for each processing element on said line using said local deviation;

determining a second local cumulative deviation for each processing element on said line using said local deviation; and

redistributing tasks among each processing element on said line in response to at least one of said first local cumulative deviation and said second local cumulative deviation.

23. (previously presented) The method of claim 22 wherein said notifying each processing element comprises:

serially summing said total number of tasks present on said line; and transmitting said total number of tasks to each processing element on said line.

24. (previously presented) The method of claim 22 wherein said determining each processing element's share of said total number of tasks comprises:

calculating a local mean number of tasks for each processing element on said line; and

calculating a local deviation from said local mean number of tasks for each processing element on said line by finding the difference between said local number of tasks and said local mean number of tasks for each processing element on said line.

- 25. (previously presented) The method of claim 24 wherein said calculating a local mean number of tasks for each processing element on said line comprises using a rounding function  $M_r = Trunc((V + E_r)/N)$ , where  $M_r$  represents said local mean of a local processing element PE<sub>r</sub>, N represents the total number of processing elements on said line, V is the total number of tasks, and  $E_r$  represents a number in the range of 0 to (N-1).
- 26. (previously presented) The method of claim 25 wherein said Trunc function is responsive to  $E_r$  such that said total number of tasks for said line is equal to the sum of the local mean number of tasks for each of said processing elements in said line.
- 27. (previously presented) The method of claim 25 wherein said local mean  $M_r = Trunc((V + E_r)/N)$  for each local processing element on said line is equal to either X or (X+1), where X is equal to a local mean.
- 28. (previously presented) The method of claim 22 wherein said determining a first local cumulative deviation for each processing element on said line includes summing said local deviations for each upstream processing element on said line.
- 29. (previously presented) The method of claim 22 wherein said determining a second local cumulative deviation for each processing element on said line includes finding the difference between the negative of said local deviation and said first local cumulative deviation for each processing element on said line.

30. (previously presented) The method of claim 22 wherein said redistributing tasks among each processing element on said line in response to at least one of said first local cumulative deviation and said second local cumulative deviation comprises:

transferring a task from a first processing element on said line to a second processing element on said line if said first local cumulative deviation for said first processing element is a negative value; and

transferring a task from said second processing element on said line to said first processing element on said line if said first local cumulative deviation for said second processing element is a positive value.

31. (previously presented) The method of claim 22 wherein said redistributing tasks among each processing element on said line in response to at least one of said first local cumulative deviation and said second local cumulative deviation comprises:

transferring a task to a first processing element on said line from a second processing element on said line if said second local cumulative deviation for said first processing element is a negative value; and

transferring a task to said second processing element on said line from said first processing element on said line if said second local cumulative deviation for said second processing element is a positive value.

- 32. (previously presented) The method of claim 24 wherein said calculating a local deviation, said determining a first local cumulative deviation, said determining a second local cumulative deviation, and said redistributing tasks among said processing elements are repeated until said local deviation, said first local cumulative deviation, and said second local cumulative deviation for each of said processing elements is zero.
- 33. (cancelled)
- 34. (currently amended) A computer memory storing a set of instructions which, when executed, perform a method for balancing a work load across one dimension of an n-dimensional

array of processing elements (PEs), wherein each of said n-dimensions is traversed by a plurality of lines and wherein each of said lines has a plurality of processing elements with a local number of tasks associated therewith, the method comprising:

balancing said plurality of lines in one dimension by redistributing tasks amongst the processing elements in each of said plurality of said lines[[,]];

balancing said plurality of lines in a next higher dimension;

repeating said balancing said plurality of lines in a next higher dimension for each remaining dimension of said n-dimensional array, wherein each of said balanced lines includes PEs with either a number of local tasks equal to X or a number of local equal to (X+1), where X equals a local mean;

substituting the value zero (0) for each processing element having X local number of tasks;

substituting the value one (1) for each processing element having (X+1) local number of tasks; and

shifting said values for each processing element within said balanced lines until a sum of said processing elements relative to a second dimension has only two different values, wherein shifting said values <u>represents</u> represent moving a task.